Freezing delay of a drop impacting on a monolayer of cold grains

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Abstract

We investigate a subfreezing droplet impact scenario in a low-humidity environment, where the target is a cold granular monolayer. When the undercooling degree of targets passes a threshold, such a granular layer effectively postpones the bulk freezing time of the droplet in comparison with the impact on the bare substrate underneath. In this case, the retraction of the droplet after impact reduces the contact area with the cold substrate, even though both the grains and the substrate are wettable to the liquid. We find that the significant changes in the dynamic behavior are triggered by freezing the liquid that wets the pores. Owing to the small dimension of the pores, the freezing process is rapid enough to match the dynamics over the droplet dimension. In certain circumstances, the rapid freezing may even stop liquid penetration and shed icing from the underneath surface.

Introduction

Subfreezing droplet impact is relevant to various artificial and natural processes, such as aircraft icing, freezing rain hazards, and spray coating technology. In recent years, there has been a growing focus on anti-icing surface design.^{1,2} The superhydrophobic microstructure is commonly implemented to reduce the contact time of the droplet with the surface and to postpone its bulk freezing. Altogether, the impacting droplet is expected to be removed from the surface readily, for instance, by gravity. While there have been reports of freezing delay on the repellent coating,^{3–5} the potential for failures arises from liquid penetration through the microstructure⁶ and enhanced adhesion of the solidified residual.^{7–9} Another challenge is the unavoidable random nucleation at high subfreezing degrees,¹⁰ which impedes the superhydrophobicity and results in partial or complete adhesion.^{11,12} Considering the complexity and variety of icing conditions, a unifying strategy of passive icephobicity is challenging.

Recently, the shielding of icing was reported for droplet impact on a subfreezing sand pile.¹³ We suggest the same mechanism might apply to a monolayer of cold particles. This paper explores the monolayer configuration in experiments, shedding light on the relative significance between the granular layer and the underlying substrate. Our findings confirm that a granular monolayer delays bulk freezing and, under specific conditions, can even detach the icing formed by an impacting drop onto the underlying substrate. In our experiments, a hexadecane drop of constant diameter ($D_0 = 2 \pm 0.1$ mm) at room temperature ($\approx 24^{\circ}$ C) impacts on a surface covered by a granular layer in a nitrogen chamber. The granular layer and the underneath silicone wafer are maintained at an undercooling degree ΔT below the melting point of the liquid before the impact. We use polydisperse ceramic (Yttrium stabilized Zirconium Oxide) spheres of mean diameters $d = 104, 172\mu$ m to prepare nearly hexagonal packings in two-dimension (see SI text). We will first show that the granular monolayer effectively postpones the bulk freezing time of the droplet.



Figure 1: The freezing time τ_F of the entire droplet for impacts with the impact velocity U = 1.6m/s on the subfreezing plate (×) and a monolayer of grains (Δ for d = 104µm and \bullet for d = 172µm). For each ΔT , the value of τ_F is averaged over three measurements. The standard deviation is plotted as error bars for d = 104µm. The uncertainty for d = 172µm is comparable, and that for the cold plate is significantly lower ($<0.1\tau_F$). The solid line is a fit of Eq. 1. The two points highlighted by red squares correspond to the solidified morphologies in the insets. The delayed branch remains for higher impact velocities up to 2.75 m/s.

Freezing delay

Consider putting a droplet with a volume of $V = D_0^3 \pi/6$ into contact with a substrate at the undercooling degree ΔT . The solution to the one-dimensional Stefan problem provides an estimation for the bulk freezing time:

$$\tau_F = \left(\frac{V}{A}\right)^2 \frac{1}{2\alpha_i} \frac{1}{\mathrm{St}}.$$
(1)

In Equation 1, α_i signifies the thermal diffusivity of the solidified phase. The bulk freezing time, τ_F , is inversely related to contact area A and the Stefan number $\text{St} = c_p \Delta T/L$, with L representing the latent heat of the phase transition.

In Fig. 1, we plot τ_F of the droplet impacting on the bare silicon wafer and the grain layers, respectively, for the impact velocity U = 1.6m/s. For impact on the cold silicone wafer, τ_F follows Eq. 1. For impact on the grain layer, τ_F resembles the same relation for low ΔT . However, it begins to rise for $\Delta T > 10$ K and transitions to a separate branch with delayed freezing, increased by an order of magnitude. As all quantities except for A are experimental parameters, we use the measured τ_F and Eq. 1 to estimate the contact area for these two branches. Compared to impacts on the silicon wafer, A is cut to roughly a quarter in the delayed branch, consistent with the observed changes in solidified morphology (Fig. 1 insets). Given the high wettability of the silicone wafer towards hexadecane, the impacting liquid would wet the substrate upon contact. Therefore, the observed dewetting behavior for $\Delta T > 10$ K can be attributed to the shielding effect of the grain layer, even though it exhibits wettability towards the impacting liquid as well. This shielding effect must occur at early impact and be sustained during droplet spreading-retraction. The overall spreadingretraction process is measured by the capillary time $\tau_{\gamma} = \sqrt{\rho_l D_0^3 / \sigma} \approx 15$ ms, where ρ_l and σ are the mass density and surface tension coefficient of the liquid. The freezing delay at seconds is thus an outcome of changes in dynamics at milliseconds.



Figure 2: (a-c): The impact events of U = 1.6m/s on grain layer of d = 172µm with various undercooling degrees, ΔT . Snapshots are captured at inertia time τ_i , maximum spreading time τ_s and retraction time τ_c . In (c), D_m and D_c measure the droplet diameter at the corresponding moments. Panels (d-e) display the particle number ratio ϕ and the retraction degree β versus ΔT for U = 1.6m/s and d = 172µm. Panels (f-g) characterize the variations in $\phi(\Delta T)$ and $\beta(\Delta T)$ with U and d, showcasing their lower and upper bounds ($\phi_{l,h}$ and β_h) and transition regimes (ΔT_{ϕ} and ΔT_{β}). The same color and symbols as in Fig. 1 are used for the two grain sizes. In (g), the dashed line represents the theoretical prediction on the upper bound of ΔT_{β} for the small ZrO₂ grains. The diamond point indicates the critical undercooling temperatures in theory corresponding to Fig. 3d. See text for details.

Short-time dynamics

Figure 2a-c show impact events of U = 1.6 m/s at three distinct time scales: inertia time τ_i , spreading time τ_s , and retraction time τ_c . The inertia time $\tau_i = D_0/U$ defines the time scale of momentum transfer of the droplet. $\tau_s \approx \tau_{\gamma}/6$ and $\tau_c \approx 1.5\tau_{\gamma}$ respectively marks the endpoint of spreading and retraction (see SI text). Notable differences in dynamics are observable between high and low undercooling degrees. The discrimination occurs earlier as ΔT increases. Using Fig. 2a as a reference, the dark center at $t = \tau_i$ indicates that the liquid permeates through the grain layer and wets the silicon wafer underneath. As time progresses to $t = \tau_s$, the wetted area expands, and the central grains are pushed toward the rim of the spreading liquid film. The droplet then remains in its expanded state with little retraction $(t = \tau_c)$ and freezes on the substrate. The bulk freezing time and solidified morphology resemble impacts on a bare silicon wafer substrate [cf Fig. 1]. By increasing the undercooling degree to $\Delta T = 10$ K, the droplet still wets the central area but without any expansion of the wetting area or movement of the grains within it. For $t > \tau_s$, the liquidgrain mixture exhibits no retraction. However, the liquid in the residual seeps through the inter-grain pores, and the wetting area expands and fully covers the underneath substrate at $t \sim 30 \text{ms} \approx 2\tau_{\gamma}$. For even higher ΔT , the short-time liquid penetration diminishes $(t \leq \tau_i)$, and the droplet largely spreads atop the grain layer. Subsequently, pronounced retraction occurs during $\tau_s < t < \tau_c$, and the reduced contact area postpones the bulk freezing [cf. Fig. 1.

The distinction of impact dynamics depicted in Fig. 2a-c is induced by certain freezing processes of the impacting liquid, manifested as the dependence of ΔT . Two dimensionless numbers are introduced to quantify this dependence: ϕ , the ratio of grain numbers between $t = \tau_s$ and the initial state, and $\beta = (D_m - D_c)/(D_m - D_0)$, representing the degree of retraction. In this context, D_m and D_c denote the droplet diameters at τ_s and τ_c , respectively (see Fig. 2c and SI text for additional details). While calculating ϕ , grains within the impact center, a square region with a diagonal length of D_0 , are counted ¹. Figure 2d plots ϕ for impacts of U = 1.6m/s and d = 172µm. The number ratio transitions from ϕ_l , at low ΔT , to a plateau, ϕ_h , at high undercooling degrees. The transition regime is marked as ΔT_{ϕ} . The degree of retraction, $\beta(\Delta T)$, follows a similar pattern (see Fig. 2e), undergoing an increase from 0 to its plateau value β_h when ΔT exceeds ΔT_{β} .

Given the minor contact area between the spherical grains and the silicon wafer and the significant difference in their thermal conductivities, the grains and substrate can be viewed as two separate heat sinks. The freezing processes induced by these two types of heat sinks are referred to as grain freezing and substrate freezing henceforth. The subsequent analysis will focus on the magnitude and variants of $\Delta T_{\phi,\beta}$, $\phi_{l,h}$ and β_h to clarify the underlying freezing processes.

Substrate freezing

Grain motion is propelled by the impact stresses of the droplet, measured by the inertia pressure $\rho_l U^2$. Consequently, the lower bound ϕ_l decreases with increased U as displayed in Fig. 2f. In contrast, $\phi_h \approx 0.9$ remains unaffected by U, suggesting the formation of a frozen grain patch for $\Delta T > \Delta T_{\phi}$. The frozen patch needs to form early to counterbalance the impact stresses, preferably within a timeframe comparable to τ_i . As the liquid wets the grain layer and the underneath substrate throughout the transition regime ΔT_{ϕ} [cf. Fig. 2a-b], both grain freezing and substrate freezing could contribute to the rise of ϕ . However, their relative significance may yield different outcomes. The former causes the wetted grains to freeze together, while the latter results in the grains freezing onto the substrate (see Fig. 3a and b). In the former case, the grain freezing process covers a dimension proportional to d. Therefore, to match the freezing timescale with τ_i , a dependence on d is expected for ΔT_{ϕ} .

¹The dimension D_0 indicates the span of intense impact stresses that causes most significant particle motion. Other choices, such as the shape of the counting area, does not alter the transition temperature ΔT_{ϕ}

indicating the dominance of substrate freezing for ϕ saturation.

To initiate substrate freezing, the droplet must penetrate through the grain layer. Liquid penetration is driven by the inertia pressure of the droplet and is resisted by the viscous drag across a pore dimension d_p , $\sim \mu U/d_p$, with μ as the dynamic viscosity of the liquid. Let τ_p represent the time required to reach the penetration depth d. It can be shown that $\tau_p/\tau_i \sim (d/d_p)^2/\text{Re}$, where $\text{Re} = \rho_l U D_0/\mu$ represents the Reynolds number. By measuring the critical impact velocity for $\tau_p/\tau_i = 1$, we can estimate τ_p (see SI text). The duration for the substrate freezing to take effect, $\tau_i - \tau_p$, decreases with U for the parameter range under investigation. Nevertheless, ΔT_{ϕ} in Fig. 2f is insensitive to U, which indicates that liquid freezes instantaneously upon contact with the cold substrate. Indeed, the observed upper bound of ΔT_{ϕ} , approximately 9K, aligns with the undercooling degree of immediate nucleation for hexadecane reported in Ref. 14. The area of momentum transfer, equivalent to the area directly beneath the droplet $\pi D_0^2/4$ (Fig. 2a-b), is the initial penetration site and largely determines the dimension of frozen patch ².

Dewetting initiation

Beyond ΔT_{ϕ} , the droplet body impacts upon the immediately formed frozen layer on the substrate at $t < \tau_i$. The liquid ejecting from the frozen region primarily possesses horizontal momentum and is isolated from the substrate by the frozen layer, which prompts the dewetting of the spreading lamella and its retraction afterward. As a result, the rise of β , marked by ΔT_{β} , closely follows the saturation of ϕ . The lower bound of ΔT_{β} aligns with the upper bound of ΔT_{ϕ} within the measurement uncertainty, demonstrating robustness against U and d as well [Fig. 2g].

Note that the initiation and sustainability of dewetting in this study are largely independent of ambient air.^{13,15} Instead, the resistance from grains on the spreading lamella redirects its edge upwards,¹⁶ similar to droplet impact on a liquid layer.^{17,18} The retraction

²The dimension of the frozen patch is always larger than D_0 by approximately 20% and slightly decreases with ΔT .

degree, β , exhibits significant fluctuations within the transition regime [Fig. 2e], primarily due to the lamella recontacting/rewetting the substrate via capillary action. For $\Delta T > \Delta T_{\beta}$, rewetting diminishes, and the droplet-grain mixture retracts to its smallest feasible size, the frozen patch formed early ($\sim D_0$). This defines the saturation value β_h . The transition regime, ΔT_{β} , aligns with the increase of τ_F in Fig. 1. This confirms the connections between short-time dynamics and the long-term overall freezing.

We assume that a certain separation distance from the substrate, ideally ~ d/2, is necessary to ensure the consistent dewetting and the saturation of β . According to Eq. 1, substrate freezing contributes a frozen dimension of 10µm during τ_i for U = 1.6m/s and $\Delta T = 30$ K, approximately one tenth of d or less. Moreover, this frozen dimension remains constant with d. Hence, it does not explain the d dependence of β_h and the upper bound of ΔT_{β} in Fig. 2g. Therefore, substrate freezing alone cannot saturate β , necessitating the consideration of grain freezing.

Grain freezing

The process of grain freezing refers to the freezing of liquid that wets the pores in the granular layer. The most pronounced effect of freezing occurs at the smallest cross-section of the pore, as illustrated in Fig. 3c. The grain freezing process is of particular interest beyond ΔT_{ϕ} , where little motion of grains is seen [Fig. 2]. A constant pore dimension $d_p = 0.1d$ is thus used in the following analysis ³. As freezing occurs from all directions simultaneously, the relevant frozen dimension is $d_p/2$. We denote the freezing time over $d_p/2$ as τ_f . The classic Stefan problem (Eq. 1) provides $\tau_f \approx \tau_i$ at $\Delta T = 8$ K for $U_0 = 1.6$ m/s and d = 172µm. This underestimates τ_f ; otherwise, the significance of grain freezing, such as the variance of ΔT_{ϕ} with d, would have been observable. To obtain a more reasonable estimation of τ_f , it is necessary to consider the thermal properties of the heat sink (grains). Two additional

³This value is obtained by dividing the highlighted area $((\sqrt{3} - \pi/2)d^2/4)$ in Fig. 3c by the arc length of the surrounding grains $d\pi/2$, resulting in a length scale of 0.05*d*. This scale measures the dimension from the grain surface to the pore's center, equivalent to $d_p/2$.

dimensionless numbers, $B \equiv \rho_i c_p^i / \rho_g c_p^g$ and $K \equiv k_i / k_g$, are introduced, representing the ratio of volumetric heat capacity and thermal conductivity between the solidified phase and grains. It is worth noting that the contact area between spherical grains is negligible compared to their surface area. Thus, in the context of grain freezing, the heat sinks are individual grains of a finite dimension d. The grain freezing process thus has an inherent length scale and deviates from self-similar solutions like Eq. 1. In Ref. 13, we have proposed an approximation solution for τ_f that accounts for the finite size effect to the leading order:

$$\tau_f = \mathcal{F}(K) \frac{\hat{d}_p^2}{2\mathrm{St}} \left(1 + \frac{2}{3} \frac{B}{\mathrm{St}} \hat{d}_p \right) \frac{d^2}{4\alpha_i}, \text{ with } \hat{d}_p = \frac{d_p}{d}.$$
 (2)

 $\mathcal{F}(K) \geq 1$ increases with K. We identify $\mathcal{F}(K = 0.15) = 2$ for ZrO_2 grains (see SI text). The second term in the bracket on the right-hand side of Eq. 2 is the correction introduced by the finite size effect on the diffusive propagation of the freezing front. This term is about 0.3 at $\Delta T = 20$ K for the material under investigation and decreases for higher ΔT .

Setting $\tau_f = \tau_i$ in Eq. 2 yields a critical undercooling degree ΔT_i . We compute ΔT_i for the small ZrO₂ grain layer ($d = 104\mu$ m). The result is approximately inversely proportional to Uand aligns with the upper bound of ΔT_β (see the dashed line in Fig. 2g). When ΔT exceeds ΔT_i , τ_f decreases further, potentially matching the penetration timescale τ_p . The critical undercooling degree that satisfies $\tau_f = \tau_p$ is calculated for U = 1.6m/s, resulting in $\Delta T_p =$ 28.6K. For $\Delta T > \Delta T_p$, the pores are sealed so rapidly by freezing that liquid infiltration halts completely. We show the bottom image of the solidified residual for impacts on the small ZrO₂ layer around ΔT_p . Indeed, grains protrude from the frozen bottom uniformly, with a consistent protrusion height of 11µm. Given that $\Delta T_p \sim U^2$, complete suppression of liquid penetration for higher U values was not observed within the studied undercooling range.

The freezing time, τ_f in Eq. 2, is anticipated to exhibit a quadratic increase with the grain size, d. Consequently, the larger grains ($d = 172 \mu m$) requires a significantly greater

 $\Delta T_{i,p}$ to achieve $\tau_f = \tau_{i,p}$, a condition unattainable in our experiments. In other words, grain freezing alone is insufficient to close the pores within τ_i for the larger grains under the investigated range of ΔT . In this case, consistent dewetting and the saturation of β arise from the combined effects of grain freezing and substrate freezing processes, and ΔT_{β} deviates from the prediction of $\tau_f = \tau_i$ by Eq. 2. We refer to this scenario as partial penetration. In the partial penetration scenario, the penetrating liquid wets the substrate directly beneath the pore and then spreads. The frozen layer growing from the substrate intersects with that from the grain surface. In consequence, a portion of the grain bottom unwetted [Fig. 3b]. Figure 3e illustrates the bottom of the solidified morphology formed on the large ZrO_2 layer under the same impact and temperature parameters as Fig. 3d, where the impact center is penetrated. The exposure area of grains deviates from the circular shape and increases further away from the impact center. The estimated protrusion height ranges from 0 to $19\mu m$, marking the intersection of the frozen layers from the substrate and the grain. Substrate freezing at $\Delta T \sim 30$ K, as previously discussed, fosters the development of a frozen layer approximately 10µm thick within τ_i , comparable to the measured protrusion height. The weaker influence of grain freezing for larger grains results in a notable decrease of β_h with U (see Fig. 2g). The reduced β_h indicates a larger frozen area. The freezing delay effect at higher U thus becomes less efficient than that shown in Fig. 1.

An increase in thermal conductivity of grains enhances the grain freezing by reducing $\mathcal{F}(K)$ and thus τ_f in Eq. 2. The consequence is demonstrated through an experiment involving a layer of Tin balls with a diameter of $d = 155\mu m$, the bottom image of which is presented in Fig. 3f. The high thermal conductivity of Tin $(K \sim 10^{-3} \ll 1)$ sets $\mathcal{F} = 1$ in Eq. 2. From a quantitative standpoint, the square of the diameter ratio between the small ZrO_2 grains and Tin balls, 2.2, matches their difference in \mathcal{F} . In other words, the increase in τ_f due to the grain size of Tin balls is offset by their enhanced thermal conductivity. As a result, liquid penetration is significantly inhibited in the Tin ball layer, similar to Fig. 3d. The partial penetration, more visibly apparent here, primarily occurs at the 'defects' in the

hexagonal structure, i.e., the larger pores.



Figure 3: Sketch of grain freezing (a) and substrate freezing (b). The light (dark) blue area indicates the liquid (solidified) phase. The dashed box in (b) illustrates the partial penetration scenario. (c) In a dense monolayer of spheres, the pore (blue area) is a curved triangle. Images of the bottom of the solidified liquid-grain mixture are shown for impacts on small ($d = 104\mu$ m in (d)) and large ($d = 172\mu$ m in (e)) ZrO₂ layers, and Sn balls ($d = 155\mu$ m) layer in (f). The impact parameters are U = 1.6m/s and $\Delta T = 28$ K for all cases. The top row gives a zoom-in of the impact center area. Note that the center of the residual is not necessarily the impact center.

Conclusion

We examine a scenario in this study where the granular layer acts as a shield for the underlying substrate against icing during droplet impact. Compared to superhydrophobic coating, the grain layer configuration investigated here provides an alternative viewpoint. The grainfreezing process could shed the impact stresses (Fig. 2d) and the contact of the droplet with the underlying substrate (Fig. 2e and 3d-f). In consequence, the post-impact residual can be readily removed. For small grains, the Bond number, $Bo = \rho_g d^2 g / \gamma$, is typically smaller than 1. Therefore, the weight of grains does not affect the droplet retraction. On inclines, weak adhesion that merely balances the gravity can thus be introduced (by static electrical charges, for instance) without altering the droplet retraction and freezing delay effect. After impact, the additional droplet mass overwhelms the weak adhesion, and the residual may be removed under gravity. Lastly, we highlight that the non-wettability of the grain layer could further enhance the shielding effect, as it impedes impact penetration. At the intermediate $\Delta T \ (\sim \Delta T_{\beta})$, the non-wettability stabilizes dewetting and retraction. Beyond ΔT_p , however, the dominance of grain freezing reduces the significance of wettability (see SI video).

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Supporting Information Available

The following files are available free of charge.

- SI.pdf: additional details of the experimental protocol, image processing method, the calculation of the penetration time τ_p , and the grain-freezing model.
- SI_wettability.mp4: illustrating the influence of wettability of grains.

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TOC Graphic

